| Loan Payments |
|--|
| We have already studied how a loan with compound interest grows with time if no payments are made and the interest rate does not change: $FV = P(1+\frac{1}{n})^{nt} \text{or} Pe^{rt}$ |
| Note that in this case if we want to know how much we can afford to pay in the, we can also solve for the that will grow to that amount: $P = \frac{FV}{(1+r_h)^{nt}} \text{or} P = \frac{FV}{e^{rt}}$ |
| The situation is more complicated if are being made |
| Example 2.4.3 - Can afford \$200/month as car payment - Auto loan: 3% APR for 5 years - How expensive of a car loan can you afford? In other words what amt. loan can you pay off with \$200/month? Note: If you pay \$200/month for 5 years, that's (\$200/month) × () × () = \$ |
| That will need to cover the AND So certainly the loan amt must be \$ |
| What are we looking for here, PV or FV? • Pair & Share |
| Since we are interested in the size of the loan vs the |

total amt in the _____, we are looking for ___ or _____.

Calculate Principal / Present Value of Loan

... based on certain regular payments over a specified amt. of time, assuming a fixed interest rate

See Excel Spreadsheet.

- -Can afford loan of \$____
- Total paid is \$12,000.
- Amt paid in interest is \$_____

Calculate Amt. of Regular Payments

In Excel, enter the formula:

= PMT(rate per period, # periods, present val., future val.)

= APR

times comp, = 1/n (# times) /# (years) = n·t (enter 0 for lan)

per year

Example 2.4.2 Buy car that costs \$15,000; have \$3,000 saved 4 will finance the rest (get \$12,000 loan). Compare:

- (a) 3 year loan at 2.75% APR
- (b) 5 year loan at 4% APR

Monthly payments for each? Total paid for each? Amt. of interest?